

Formal translation of ordering expressions

This page contains the general procedure for translating X-DEVICE rules that contain ordering expressions.

Complex ordering expressions

Consider the following abstract X-DEVICE rule:

```
if  $Cond_1$  and  
    $C@class(Preds, PathExpr \ni_{\{rel\_op, abs\_op\}} Var)$  and  
    $Cond_2$   
then  $Conclusion$ 
```

which is translated into the following two rules:

```
if  $Cond_1$  and  
    $C@class(Preds, PathExpr \ni_{rel\_op} XX1)$   
then  $tmp\_elem1(tmp\_obj:list(XX1))$   
  
if  $XX1@tmp\_elem1(tmp\_obj \ni_{abs\_op} Var)$  and  
    $Cond_2$   
then  $Conclusion$ 
```

Relative ordering expressions

Consider the following abstract X-DEVICE rule:

```
if  $Cond_1$  and  
    $C1@class1(Preds1, alt\_elem1.PathExpr1 Op1 Var1)$  and  
    $C2@class2(Preds2, alt\_elem2.PathExpr2 \ni_{rel\_op(Var1)} Var2)$  and  
    $Cond_2$   
then  $Conclusion$ 
```

which is translated into the following rule:

```
if  $Cond_1$  and  
    $C1@class1(Preds1, xml\_alt\_class1.PathExpr1 Op1 XX1)$  and  
    $XX1@xml\_alt\_class1(alt\_elem1 \ni Var1)$  and  
    $C2@class2(Preds2, xml\_alt\_class2.PathExpr2 \ni_{rel\_op[XX1]} XX2)$  and  
    $XX2@xml\_alt\_class2(alt\_elem2 \ni Var2)$  and  
    $Cond_2$   
then  $Conclusion$ 
```

Multiple ordering expressions

Consider the following abstract X-DEVICE rule:

```
if  $Cond_0$  and  
    $C_1@class_1(PathExpr_1 ListOp_1 Var_1)$  and  
    $Cond_1(Var_1)$  and  
    $C_2@class_2(PathExpr_2 ListOp_2 Var_2)$  and  
    $Cond_2(Var_2)$  and  
   ...  
    $C_n@class_n(PathExpr_n ListOp_n Var_n)$  and  
    $Cond_n(Var_n)$  and
```

```

    Condrest
then Conclusion

```

which is translated into the following set of rules:

```

if Cond0 and
    C1@class1(PathExpr1 ListOp1 Var1) and
    Cond1(Var1)
then tmp_elem1(Tmp_vars1, tmp_obj1:list(Var1))

if XX1@tmp_elem1(Tmp_vars1, tmp_obj1:Var1) and
    C2@class2(PathExpr2 ListOp2 Var2) and
    Cond2(Var2)
then tmp_elem2(Tmp_vars2, tmp_obj1:Var1, tmp_obj2:list(Var2))

...

if XX1@tmp_elemn-1(Tmp_varsn-1, tmp_obj1 ∋ Var1, tmp_obj2 ∋ Var2, ..., tmp_objn-1 ∋ Varn-1) and
    Cn@classn(PathExprn ListOpn Varn) and
    Condn(Varn) and
    Condrest
then Conclusion

```

Single ordering expression

Consider the following abstract X-DEVICE rule:

```

if Cond1 and
    C@class(Preds, PathExpr ∋ListOp Var) and
    Cond2
then Conclusion

```

which is translated into the three following rules:

```

if Cond1 and
    C@class(Preds, PathExpr ∋ XX1)
then tmp_elem1(Tmp_vars, tmp_obj:list(XX1))

if XX3@tmp_elem1(Tmp_vars, tmp_obj:XX1) and
    prolog{select_sub_list(ListOp, XX1, XX2)}
then tmp_elem2(Tmp_vars, tmp_obj:XX2)

if XX1@tmp_elem2(Tmp_vars, tmp_obj ∋ Var) and
    Cond2
then Conclusion

```

The Prolog predicate `select_sub_list` implements the different ordering expressions on a list of objects. For example, the absolute ordering expression $=<N$ is implemented as follows:

```

select_sub_list('=<'(N), ListIn, ListOut) :-
    first_n(1, N, ListIn, ListOut).
first_n(X, N, _, []) :-
    X > N, !.
first_n(X, N, [H|T], [H|T1]) :-
    X1 is X + 1,
    first_n(X1, N, T, T1).
first_n(_, _, [], []).

```

The following is an example of the implementation of a relative ordering expression, namely the expression between (E1, E2):

```

select_sub_list(between(E1, E2), ListIn, ListOut) :-
    append(_, [E1|L], ListIn),
    append(ListOut, [E2|_], L), !.
select_sub_list(between(_, _), [], []).

```

Similar implementations exist for all the other types of ordering expressions.